

THE FIVE-NUMBER SUMMARY:	<i>Minimum</i> Q_1 <i>Median</i> Q_3 <i>Maximum</i>		
1.5 × IQR RULE FOR OUTLIERS:	$IQR = Q_3 - Q_1$	Anything outside the 1.5 × IQR is an outlier	
STANDARD DEVIATION, VARIANCE:	$s = \sqrt{\frac{1}{n-1} \sum (x_i - \bar{x})^2}$	$\sigma_{\bar{x}}, s = \frac{\sigma}{\sqrt{n}}$ σ^2, s^2 – pop., sample variance	
CORRELATION COEFFICIENT:	$r = \frac{1}{n-1} \sum \left(\frac{x_i - \bar{x}}{s_x} \right) \left(\frac{y_i - \bar{y}}{s_y} \right)$		
CORRELATION COEFFICIENT SQUARED:	r^2 – the percentage of variability explained by the <u>linear</u> relationship		
LEAST-SQUARES REGRESSION LINE:	$\hat{y} = a + bx$	$b = r \frac{s_y}{s_x}$	$a = \bar{y} - b\bar{x}$
RESIDUAL:	<i>Residual = observed value – predicted value</i>		
PROBABILITY:	All Events:	$P(A \text{ or } B) = P(A) + P(B) - P(A \text{ and } B)$	
	Independent Events:	$P(A \text{ and } B) = P(A) \times P(B)$	
	Disjoint Events:	$P(A \text{ and } B) = 0$	
BINOMIAL PROBABILITY:	$P(X = k) = \binom{n}{k} p^k (1-p)^{n-k}$	$\binom{n}{k} = \frac{n!}{k!(n-k)!}$	
BINOMIAL DISTRIBUTION:	approximately $N(np, \sqrt{np(1-p)})$	$\mu = np$	$\sigma = \sqrt{np(1-p)}$
PROPORTION DISTRIBUTION:	approximately $N\left(p, \sqrt{\frac{p(1-p)}{n}}\right)$	$\mu = p$	$\sigma = \sqrt{\frac{p(1-p)}{n}}$
BINOMIAL/PROPORTION INDICATOR:	Use the above binomial and proportion distribution formulae if $np \geq 10$		
CONTROL LIMITS:	<i>Upper Control Limit</i> $= \bar{x} + 3 \frac{\sigma}{\sqrt{n}}$ <i>Lower Control Limit</i> $= \bar{x} - 3 \frac{\sigma}{\sqrt{n}}$		
STANDARDIZED VALUES:	$z = \frac{x-\mu}{\sigma/\sqrt{n}}$	$t = \frac{x-\mu}{s/\sqrt{n}}$	$z = \frac{x-p}{\sigma}$
TEST STATISTICS (HYPOTHESIS):	$z = \frac{\bar{x}-\mu}{\sigma/\sqrt{n}}$	$t = \frac{\bar{x}-\mu}{s/\sqrt{n}}$	$z = \frac{\hat{p}-p}{\sigma}$
SAMPLE SIZE:	$n = \left(\frac{z^* \sigma}{m}\right)^2$	$n = \left(\frac{t^* s}{m}\right)^2$	$n = \left(\frac{z^*}{m}\right)^2 p^*(1-p^*)$
MARGIN OF ERROR:	<i>z</i> – distribution: $m = z^* \frac{\sigma}{\sqrt{n}}$	<i>t</i> – distribution: $m = t^* \frac{s}{\sqrt{n}}$	
CONFIDENCE INTERVAL:	<i>z</i> – distribution: $CI = \bar{x} \pm z^* \frac{\sigma}{\sqrt{n}}$	Proportion: $CI = \hat{p} \pm z^* \sigma$	
	<i>t</i> – distribution: $CI = \bar{x} \pm t^* \frac{s}{\sqrt{n}}$	Proportion: $CI = \hat{p} \pm z^* s$	
DEGREES OF FREEDOM:	<i>degrees of freedom = n – 1</i>		
STANDARD ERROR:	$SE_{\bar{x}} = \frac{s}{\sqrt{n}}$ where the standard deviation is estimated from sample data		
TYPE I, II ERROR:	H_0 is rejected when H_0 is true,		H_0 is accepted when H_a is true